

Optimal Monetary and Fiscal Policy with Investment Spillovers and Endogenous Private Information

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2021 ASSA Meetings

This Paper

- Economies with
 - investment spillovers
 - endogenous private information
 - real and nominal rigidities
- Optimal fiscal rule
 - usual subsidy/tax on revenues/employment correcting for market power
 - NOVEL subsidy to innovating firms
 - constant (exogenous information)
 - state-dependent (**endogenous information**)
 - co-moves with optimal monetary policy
- Optimal policies with exogenous information need not be optimal with endogenous information
- Optimal monetary policy
 - pro-cyclical
 - stabilizes prices within (endogenous) groups
 - must co-move with fiscal policy to create **right incentives for information acquisition**

- **Policy with dispersed Information**

- Angeletos and Pavan (2009)
- Paciello and Wiederholt (2013)
- Angeletos and La'O (2019)
- La'O and Tahbaz-Salehi (2020)
- ..

- **Inefficiency in information acquisition**

- Colombo, Femminis, Pavan (2014)
- Pavan (2017)
- Hebert and La'O (2020)
- ...

Plan

- 1 Introduction
- 2 Model
- 3 Efficient allocation
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 - 1 exogenous information
 - 2 endogenous information
- 5 Nominal + Real Rigidities
- 6 Conclusions

Model

Model

- Economy populated by
 - representative household
 - (measure 1) continuum of agents
 - (measure 1) continuum of monopolistically-competitive firms producing differentiated intermediate goods
 - competitive retail sector producing final good
 - benevolent planner controlling monetary and fiscal policy

Model

- Each firm run by single entrepreneur
 - initially located on “island” with imperfect information about TFP Θ
 - chooses whether to “upgrade” technology for intermediate good $i \in [0, 1]$

$$y_i = \begin{cases} \gamma \Theta (1 + \beta N)^\alpha l_i^\psi & \text{when } n_i = 1 \quad (\text{new}) \\ \Theta (1 + \beta N)^\alpha l_i^\psi & \text{when } n_i = 0 \quad (\text{old}) \end{cases}$$

with $\gamma > 1$, $\beta \geq 0$, $\alpha \geq 0$, $\psi \leq 1$

- $N = \int n_i di$: **aggregate investment** in new technology
 - l_i : undifferentiated labor (more below)
- Differential $y_i(n_i = 1) - y_i(n_i = 0)$ increasing in Θ and N
 - dependence on N : **spillover** (within and across technologies)
 - human capital
 - physical capital
- Cost of new technology: $k > 0$ (effort)

- Final good (produced by competitive retail sector):

$$Y = \left(\int y_i^{\frac{\nu-1}{\nu}} di \right)^{\frac{\nu}{\nu-1}}$$

- Profits of competitive retail sector $\Pi = PY - \int p_i y_i di$
 - P : price of final good
 - p_i price of intermediate good of variety i

- Entrepreneurs are members of representative household with utility

$$U = \frac{C^{1-R}}{1-R} - k \int n_i di - \frac{l^{1+\varepsilon_l}}{1+\varepsilon_l} - \int \mathcal{I}(\pi_i^x) di$$

- C : consumption of final good
- $\mathcal{I}(\pi^x)$: disutility of info of precision π^x
 - $\mathcal{I}' > 0$, $\mathcal{I}'' \geq 0$, $\mathcal{I}'(0) = 0$.

- Each entrepreneur maximizes her firm's market valuation

$$C^{-R} \left(\frac{p_i y_i - W l_i + T_i}{P} \right) - k n_i - \mathcal{I}(\pi_i^x)$$

- W : wage rate
- T_i : fiscal transfer

- Cash-in-advance' constraint:

$$PY \leq M$$

- M : money provided by planner (returned at end of period)
- Benevolent planner maximizes ex-ante utility of representative household
 - monetary rule $M(\theta)$
 - fiscal rule $T_n(r_i, \theta)$
 - $r_i = p_i y_i$: firm's revenue
- Alternatively, $T(P, p_i, l_i)$

Model: Timing

- 1 Nature draws θ from $N(\theta_0, \pi_\theta^{-1})$
- 2 Each entrepreneur i chooses π_i^x and receives signal $x_i = \theta + \xi_i$, with ξ_i drawn from $N(0, (\pi_i^x)^{-1})$, independent from θ , independently across i
- 3 Each entrepreneur chooses
 - 1 whether or not to upgrade technology
 - 2 p_i (nominal rigidities)
- 4 After θ revealed,
 - 1 government supplies $M = M(\theta)$
 - 2 each entrepreneur posts price p_i (flexible prices)
- 5 Retail sector chooses demand y_i of each intermediate good
- 6 Entrepreneur i hires l_i to meet demand
- 7 Representative consumer chooses C

Model

- 1 Both retail sector and representative consumer take price P as given
- 2 Retail sector also takes prices of intermediate goods p_i as given
- 3 Labor l_i acquired on competitive market

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Efficient Allocation

Definition 1

Efficient allocation is given by π^{x*} , $n^*(x)$, and $l^*(x, \theta)$ that jointly maximize $\mathbb{E}_0[U]$

Efficient allocation

Proposition 1

Under appropriate parameters' restrictions, efficient upgrade policy given by $\hat{n}(x) = \mathbb{I}(x \geq \hat{x})$.

Efficient employment policy given by $\hat{l}_0(\theta)$ for firms retaining old technology and by $\hat{l}_1(\theta) = \gamma^\varphi \hat{l}_0(\theta)$ for those innovating, where $\varphi \equiv \frac{\nu-1}{\nu+\psi(1-\nu)}$.

Efficient precision $\hat{\pi}^x$ given by

$$\underbrace{\mathbb{E} \left[\hat{C}(\theta)^{1-R} \left(\frac{\alpha\beta}{1 + \beta\hat{N}(\theta)} + \frac{\nu}{\nu-1} \frac{\gamma^\varphi - 1}{(\gamma^\varphi - 1)\hat{N}(\theta) + 1} \right) \frac{\partial \hat{N}(\theta)}{\partial \pi^x} \right]}_{\text{effect on } C}$$
$$\underbrace{\mathbb{E} \left[\hat{l}_0(\theta)^{1+\varepsilon} \left[(\gamma^\varphi - 1)\hat{N}(\theta) + 1 \right]^\varepsilon (\gamma^\varphi - 1) \frac{\partial \hat{N}(\theta)}{\partial \pi^x} \right]}_{\text{effect on disutility of labor}}$$

$$-k\mathbb{E} \left[\frac{\partial \hat{N}(\theta)}{\partial \pi^x} \right] = \frac{d\mathcal{I}(\hat{\pi}^x)}{d\pi^x}$$

where $\hat{N}(\theta) = 1 - \Phi(\hat{x}|\theta)$.

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Real Rigidities

Proposition 2

Suppose information is exogenous and let $r = py$. Any monetary and fiscal policy M and T satisfying following conditions are optimal

$$T_1(\theta, r) = s(\theta) + \frac{1}{v-1}r$$

$$T_0(\theta, r) = \frac{1}{v-1}r$$

$$\mathbb{E} \left[\hat{C}(\theta)^{-R} \frac{s(\theta)}{\hat{P}(\theta)} \middle| \hat{x} \right] = \mathbb{E} \left[\hat{C}(\theta)^{1-R} \frac{\alpha\beta}{1 + \beta\hat{N}(\theta)} \middle| \hat{x} \right]$$

with $\hat{C}(\theta)^{-R}s(\theta)/\hat{P}(\theta)$ **non-decreasing**.

Exogenous Information

- No spillovers:

- $s(\theta) = 0$

- familiar subsidy $T = \frac{1}{v-1}r$

- Spillovers:

- subsidy to innovating firms

$$T_1 - T_0 = s(\theta)$$

corrects for **externality in investment**

$$\mathbb{E} \left[\hat{C}(\theta)^{1-R} \frac{\alpha\beta}{1 + \beta\hat{N}(\theta)} \right] = \mathbb{E} \left[\hat{C}(\theta)^{-R} \frac{\partial \hat{C}(\theta)}{\partial N} \right]$$

- Single-crossing: $\hat{C}(\theta)^{-R}s(\theta)/\hat{P}(\theta)$ non-decreasing
 - guarantees efficient investment

- **multiple combinations of mon and fiscal policy yielding efficiency**

Proposition 3

In addition to previous conditions policy must satisfy

$$\mathbb{E} \left[C^*(\theta)^{-R} \frac{s(\theta)}{P^*(\theta)} \frac{\partial \hat{N}(\theta; \pi^{x*})}{\partial \pi_i^x} \right] = \mathbb{E} \left[C^*(\theta)^{1-R} \left(\frac{\alpha\beta}{1 + \beta N^*(\theta)} \right) \frac{\partial \hat{N}(\theta; \pi^{x*})}{\partial \pi^x} \right]$$

Corollary 1

Policies that are optimal with exogenous info need not be optimal with endogenous info

- However, policies exist correcting inefficiencies in **both usage and acquisition**

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Nominal + Real Rigidities

Proposition 4

No matter whether information is exogenous or endogenous, optimal monetary policy given by

$$\hat{M}(\theta)^{1-R} = m \hat{l}_0(\theta)^{1+\varepsilon} \left((\gamma^\varphi - 1) \hat{N}(\theta) + 1 \right)^{\frac{(1+\varepsilon)(\nu-1)+R-1}{\nu-1}}$$

with $m > 0$.

- **Group-dependent price stability:** All entrepreneurs choosing same technology set same price.
- But then, necessarily $s(\theta)$ state dependent with endogenous information
- Example:

$$s(\theta) = \hat{P}(\theta) \hat{C}(\theta) \frac{\alpha\beta}{1 + \beta \hat{N}(\theta)}$$

- $P^*(\theta)$ pinned down by mon. policy

Conclusions

- Optimal fiscal policy
 - standard subsidy correcting for market power
 - NOVEL subsidy to innovating firms
 - sensitivity of fiscal policy to fundamentals higher when information is endogenous
- Optimal monetary policy
 - pro-cyclical
 - stabilizes prices within groups
 - supports efficient investment and information acquisition

THANKS!